

Experimental Verification of a Radiant Heat Exposure Model

Miss Hui, P. S. and **Dr. Wong, L. T.**

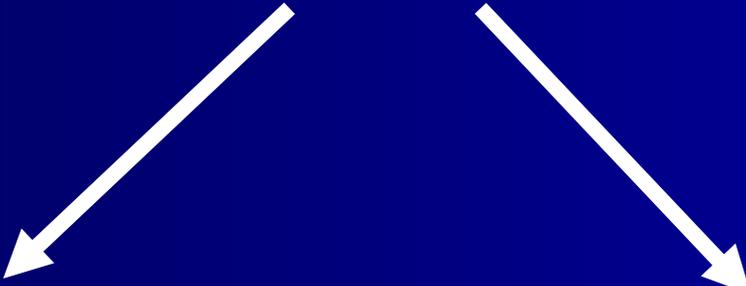
Research Centre for Fire Engineering

Department of Building Services Engineering,

The Hong Kong Polytechnic University, Hong Kong, China.

Introduction

Thermal hazard and heat exposure



Atmospheres at dry air temperature 250°F (121°C)

- Skin burns
- Hyperthermia (Heat stroke): also at a $T < 121^{\circ}\text{C}$

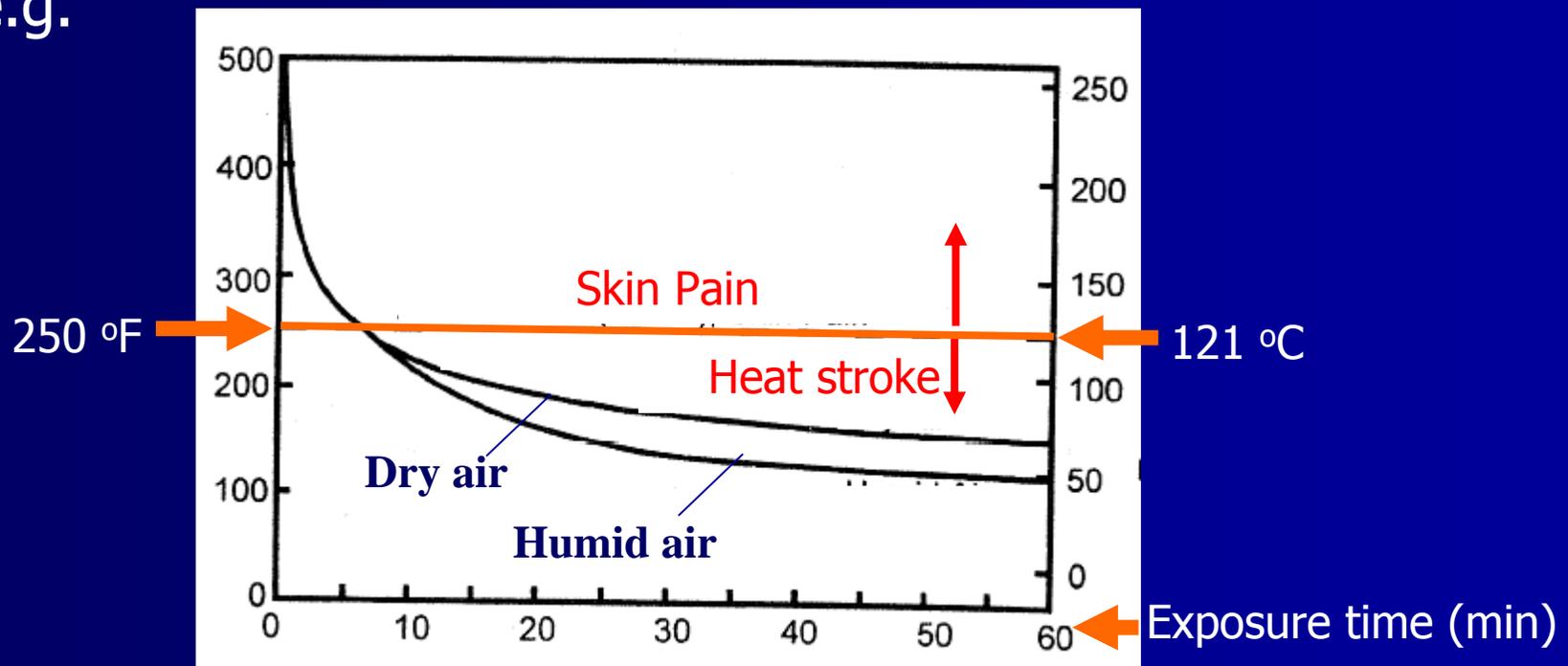
Thermal radiation

- Pain
- Blistering
- Skin burns

Introduction

Thermal tolerance for humans at rest, naked with low air movement. (Blockley 1973)

e.g.



Introduction

Average time t (min) to incapacitation for exposures to humid air and dry air at an elevated temperature T ($^{\circ}\text{C}$) (Purser 2002)

$$t = \exp(5.185 - 0.0273 T)$$

Introduction

Exposure to Thermal Radiation

Only addressed in some fire scenarios
("Limited" temperature)

Introduction

Why Thermal Radiation is studied?

- Direct hazard – case dependent; Skin pain, skin burns
- Psychological effects – would affect occupant's decision

Example: A large high-rise building fire in 1996

Some building occupants would decide not to use an escape corridor with hot smoke; stayed in the rooms adjacent to the corridor for hours before they used the building windows for evacuation

Skin damage

Exposure Time: t at the Skin Temperature: $T > 44^{\circ}\text{C}$

Sensation $\propto t$ ($T > 44^{\circ}\text{C}$)

Pain \rightarrow Burns \rightarrow Injury

Classifying skin burns by Degree

First Degree burns: minor and result only in a mild inflammation of the skin. E.g. Sunburn

Second Degree burns: → blisters on the skin.

Superficial: heal with little/no scarring

Deeper 2nd burn: forming thin layer of coagulated and dead cells, feel leathery to the touch

Third Degree burns: penetrates through both epidermis and the dermis; or body tissue (deep burn)

Exposure models

Some examples:

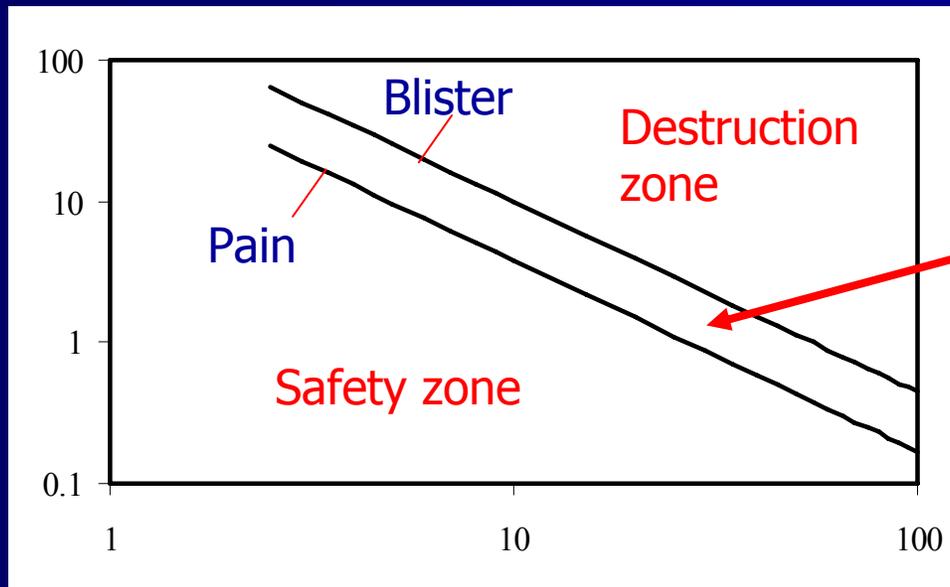
Stoll and Chianata (1969)

Exposure time to pain (s): $t_{r,p} = 85 q_r^{-1.35}$

Exposure time to blister (s): $t_{r,b} = 223 q_r^{-1.35}$

Radiant heat flux (kWm^{-2})

Exposure Time (s)



Injury zone

Radiant heat flux (kWm^{-2})

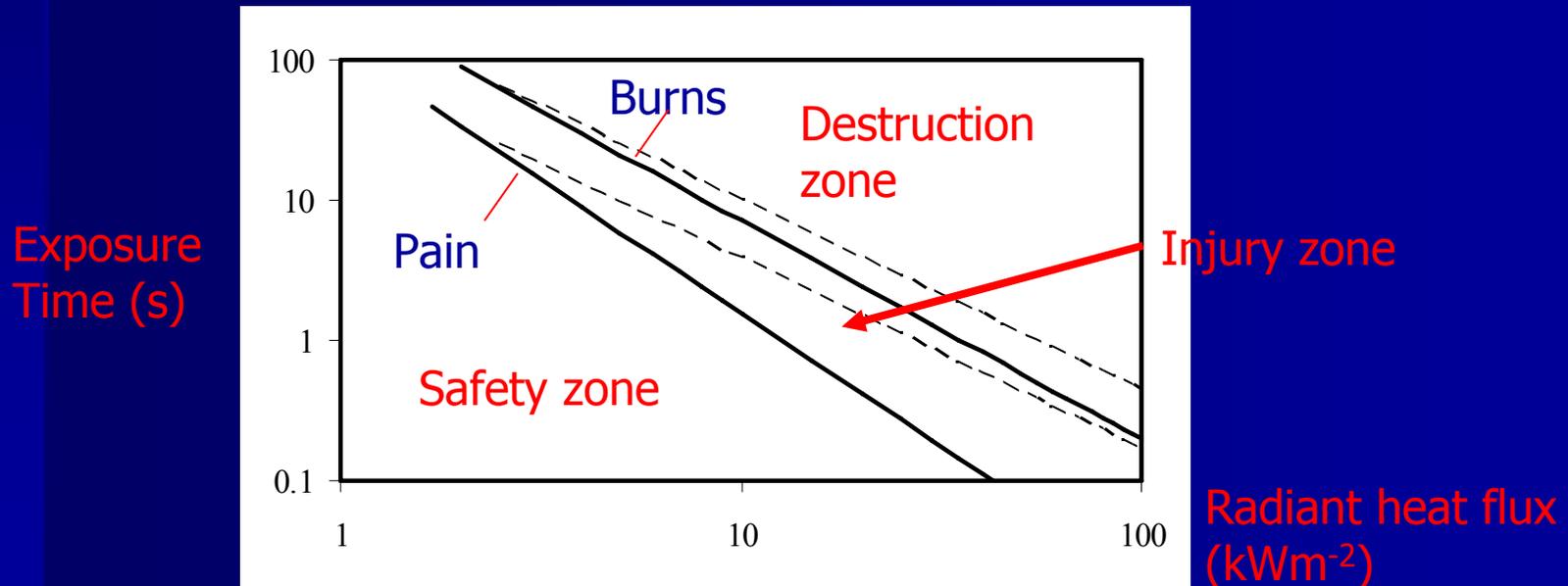
Exposure models

Some examples:

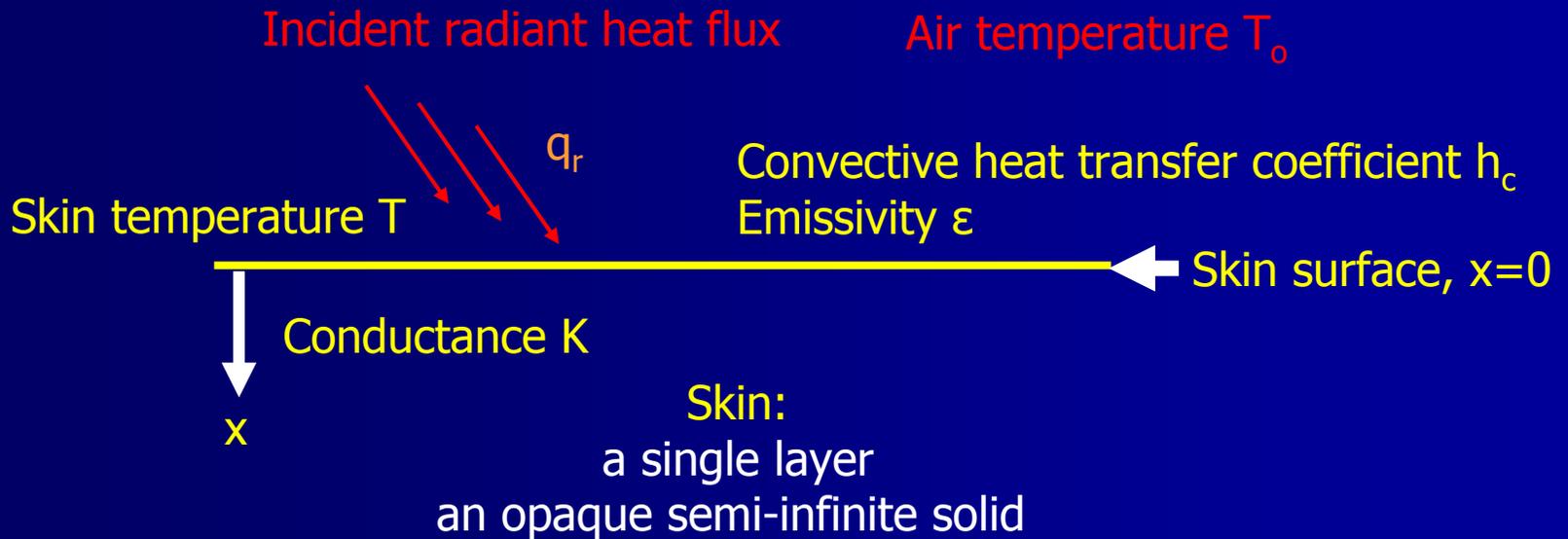
SFPE Model (Wieczorek and Dembsey 2001)

Exposure time to pain (s): $t_{r,p} = 125 q_r^{-1.9}$

Exposure time to burns (s): $t_{r,b} = 260 q_r^{-1.56}$



A simple model: Heat balance at the skin surface



Radiant heat gain

Temperature $k \frac{\partial T}{\partial x} + \epsilon_b q_R = h_c (T - T_0)$ Convective heat loss

One-dimensional heat conduction equation

(Modest, 1993; Siegel and Howell, 2002; Tien *et al.*, 2002)

$$\frac{\partial T}{\partial t} = \alpha \frac{\partial^2 T}{\partial x^2}$$

time → $\frac{\partial T}{\partial t}$ α → thermal diffusivity of the skin $\frac{\partial^2 T}{\partial x^2}$ → skin depth T → temperature

One-dimensional heat conduction equation: solution

Solved for the temperature at the depth of x (m) below skin surface
(Tien *et al.* 2002, Wieczorek and Dembsey, 2001)

$$T = T_0 + \frac{q_R}{k} \left[\frac{2\sqrt{\alpha(st)}}{\sqrt{\pi}} \exp\left(-\frac{x^2}{4\alpha(st)}\right) - x \operatorname{erfc}\left(\frac{x}{2\sqrt{\alpha(st)}}\right) \right]$$

Safety factor ($S = 2$) for
Human variability

(SFPE, 2000; Wieczorek and Dembsey, 2001).

Thermal radiant heat flux

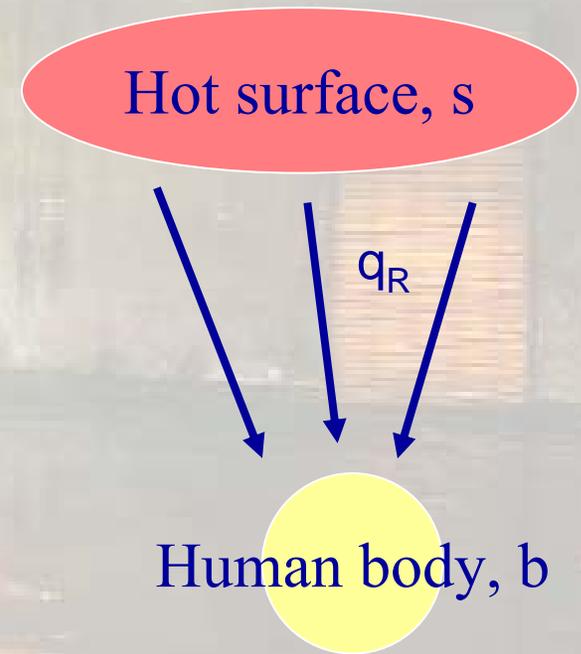
Galbraith G. H., McLean R. C. and Stewart D. (1989). Occupational hot exposures: a review of heat and mass transfer theory. *Journal of Engineering in Medicine* **203:3**, 123-131.

$$q_R = \sigma \frac{A_s}{A_b} \zeta (T_s^4 - T_b^4)$$

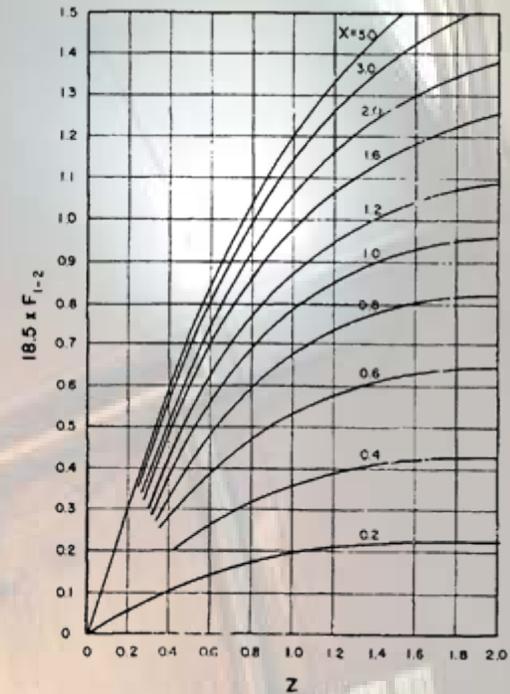
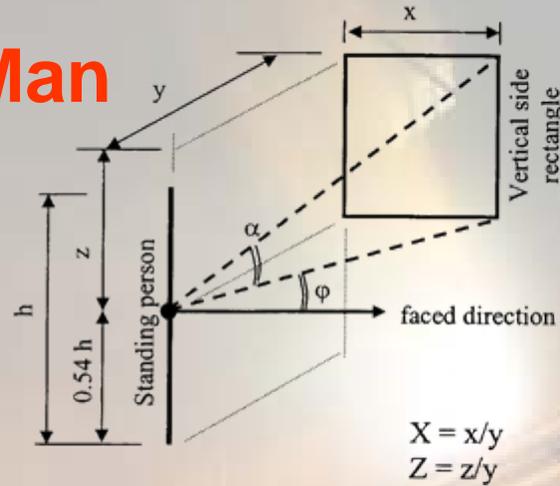
$$\zeta = \left[\left(\frac{1}{\epsilon_s} - 1 \right) + \frac{1}{F_{sb}} + \frac{A_s}{A_b} \left(\frac{1}{\epsilon_b} - 1 \right) \right]^{-1}$$

$$F_{sb} = F_{bs} \frac{A_b}{A_s}$$

$$A_s = W_R \times H_R$$



The Standard Man



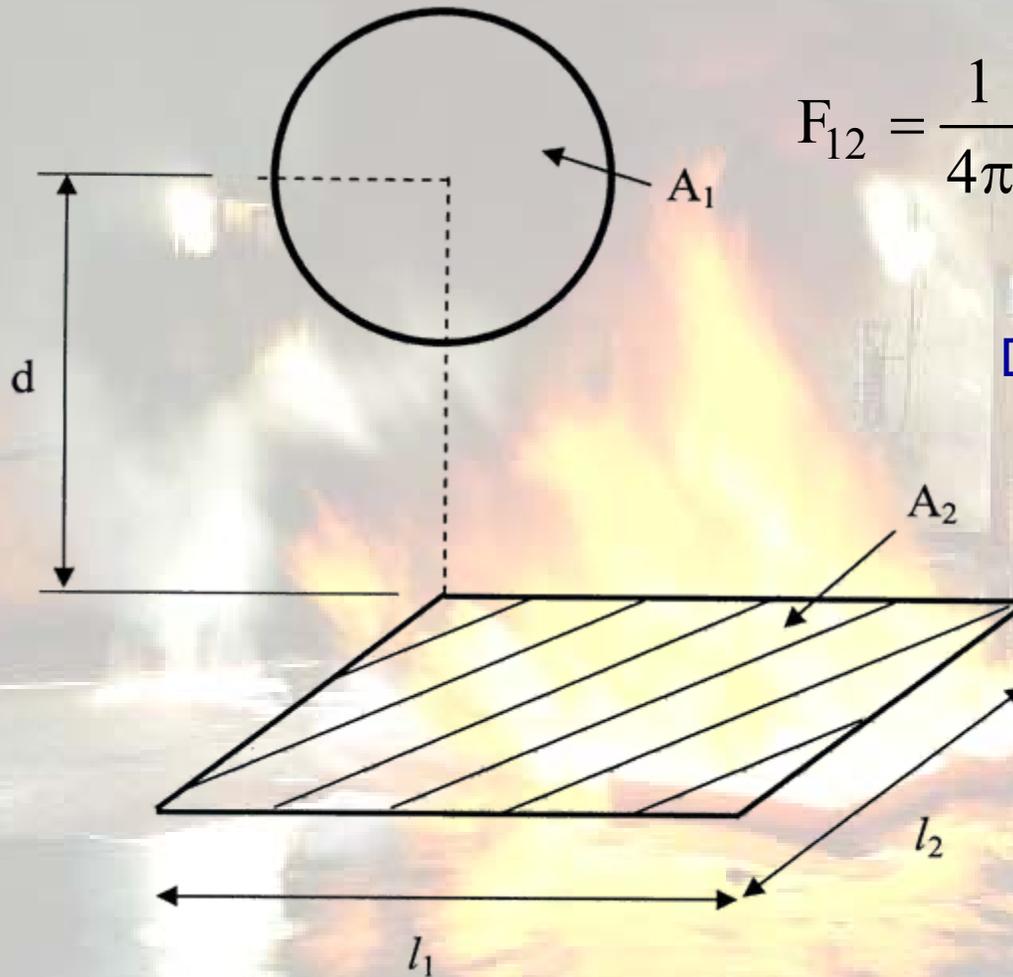
standard object ($H_b = 1.73$ m and $w = 72.7$ kg) with an orientation of $\alpha = \phi = 0$

$$R_b^2 = \frac{H_b w_b^{1/3}}{7.21} R^2$$

Ref: Dunkle R. V. (1963). Configuration factors for radiant heat transfer calculations involving people. *Journal of Heat Transfer* **85:1**, 71-76.

$$R^2 = 0.0929 \left[0.65 + \cos \alpha \left(7.15 + 0.52 |\cos \phi| \right) \right]$$

view factor



$$F_{12} = \frac{1}{4\pi} \tan^{-1} \left(\frac{1}{D_1^2 + D_2^2 + D_1 D_2} \right)^{\frac{1}{2}}$$

$$D_1 = d/l_1 \text{ and } D_2 = d/l_2$$

Assumptions

Human shape and variability,
values of emissivity, diffusivity, conductivity
depth of basal layer
single layer skin, 1D heat conduction ...

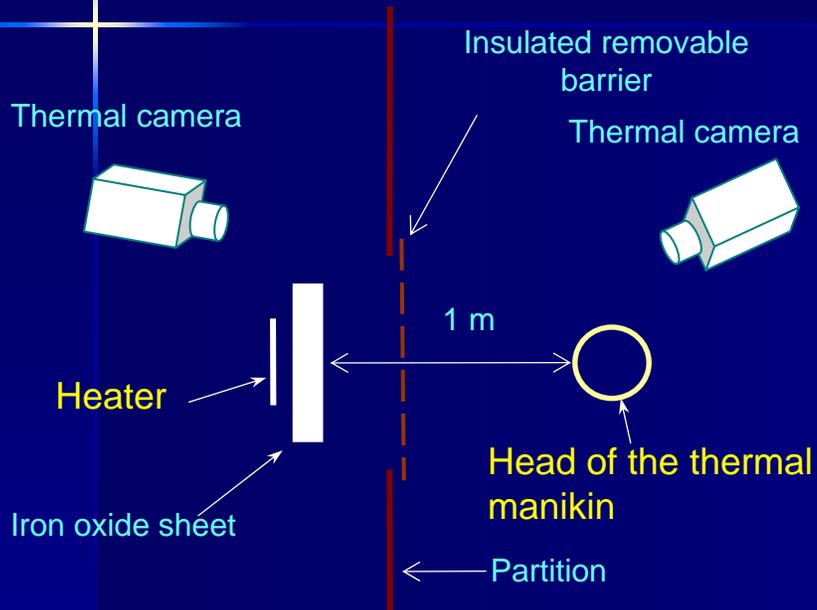
Verification: accidental skin burn statistics or sample tests

This study

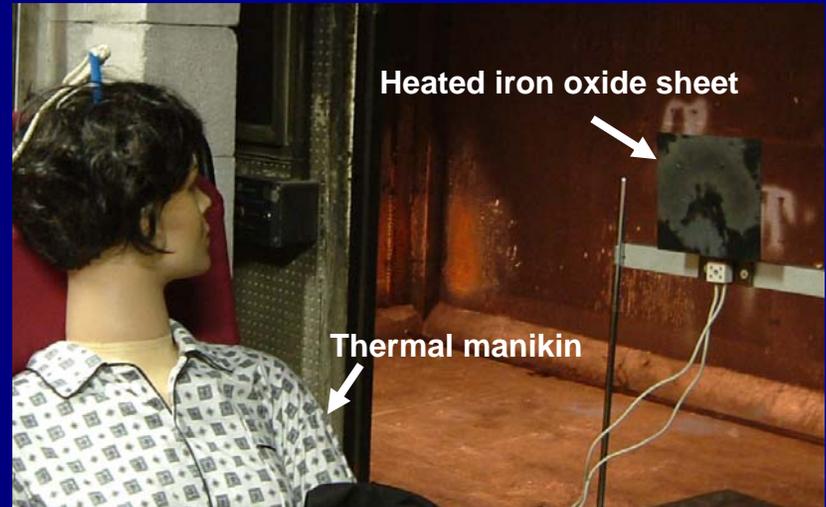
Measure the temperature T on the thermal manikin skin layer when being exposed to different radiation fluxes

Compare with the calculations for the estimated temperature rise at the head portion of the thermal manikin

Skin temperature measurement



(a) Schematic



(b) Photo

Experimental setup

Thermal manikin (Bjorn, E., Nielsen, P. V. 2002)

Shape:

- accurate geometrical likeness to a real person
- 1.7 m tall average-sized woman
- body surface area of 1.47 m²

Construction of for skin temperature measurements:

- 4 mm glass fibre-armed polyester shell wounded round with 0.3 mm diameter nickel wire at a spacing of 2 mm
- The wiring covered by a protective coating of about 0.1 mm in thickness
- maintain a body temperature (individual control of temperature of 16 body parts of the manikin)

Experimental set-up

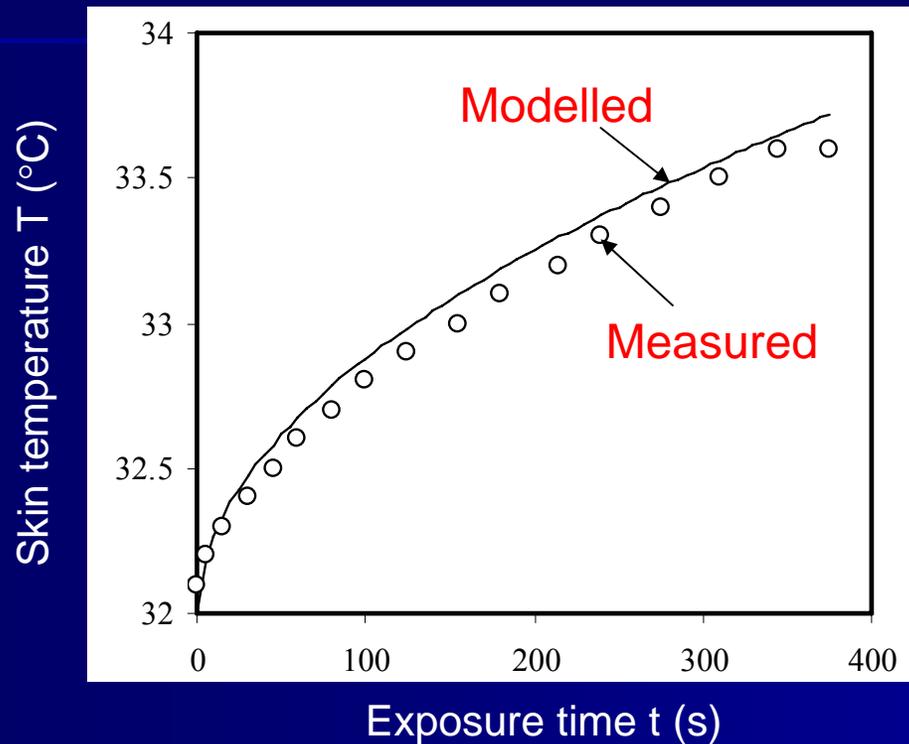
- The thermal manikin in **BSE Fire chambers (PolyU)**
- **Heated iron oxide plate** (180 mm × 180 mm thickness 3 mm)
- **1.7 kW electric heater**; steady state surface temperature = 426°C (699K)
- Thermocouples and thermal cameras were used to monitor the surface temperatures.

Measured results: Skin surface temperature



By thermal camera

Measured results: Skin temperature



By thermal manikin

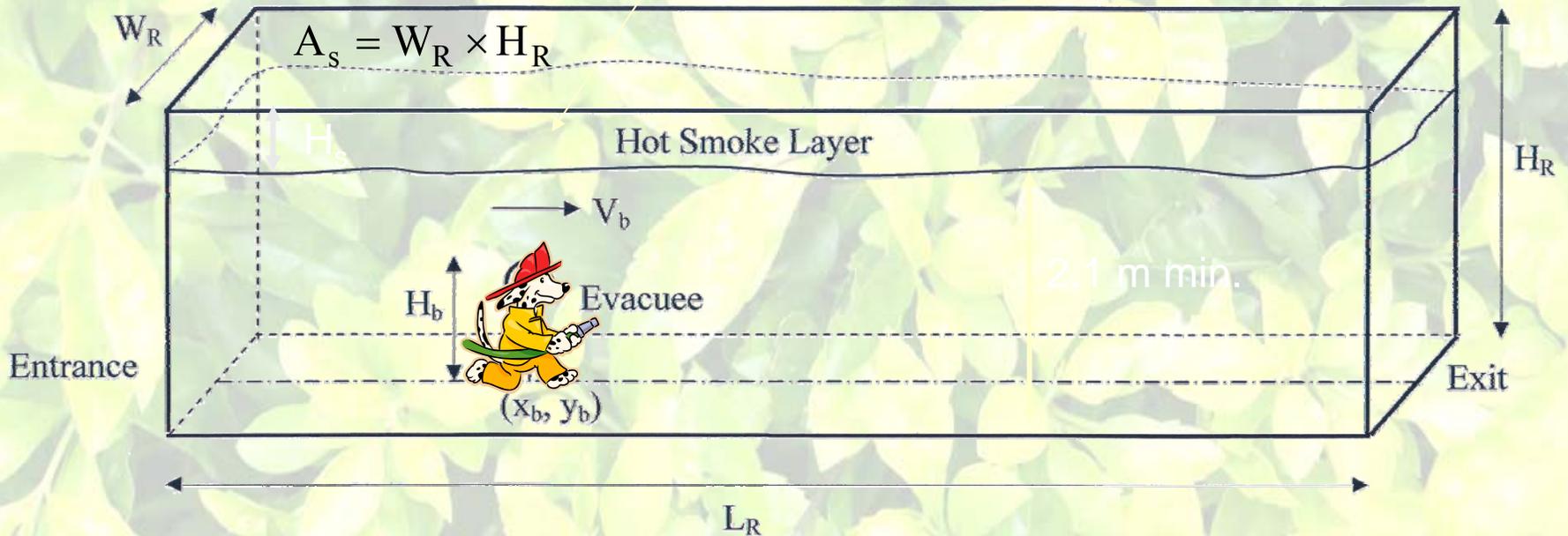
$$r = 0.9969$$

$$p \leq 0.0001$$

Skin temperature of a head

An example application

Corridor with a hot smoke layer



Room		Standing object (A standard man)	
Length L_R (m)	5–30	Height H_b (m)	1.73
Width W_R (m)	1.5–2.5	Weight w_b (kg)	72.6
Height H_R (m)	2.6	Equivalent radius R_b (m)	0.25 (body) 0.08 (head)
Smoke layer		Emissivity ϵ_b	0.95
Depth H_s (m)	0.2–0.5	Temperature T_b (K)	307
Temperature T_s (K)	600–900	Walking speeds V_b (m s^{-1})	1–2
Partial pressure of CO_2 and H_2O	0.2, 0.8		
Soot volume fraction	0.362×10^{-6}		
Mean refractive index n, k at 1000K	2.4, 1.2		

Smoke layer properties: considered as gas-soot mixtures

The total emissivities for homogeneous gas-soot mixtures ϵ_s

$$\epsilon_s = \epsilon_{\text{soot}} + \epsilon_g (1 - \epsilon_{\text{soot}})$$

The equation is annotated with green text and blue arrows. The word "Soot" is positioned above the ϵ_{soot} term, with a blue arrow pointing to it. The word "Gas" is positioned above the ϵ_g term, with a blue arrow pointing to it. A blue arrow also points from the ϵ_s in the text above to the ϵ_s in the equation.

Emissivity: Soot

$$\varepsilon_{\text{soot}} = 1 - e^{-\kappa_{\text{soot}} L_s}$$

L_s (m) is physical path length

$$\kappa_{\text{soot}} = 3.72 \frac{C_0}{C_2} f_v T$$

κ_{soot} is the Planck mean absorption coefficient of the soot for entire range of optical thickness

f_v is the soot volume fraction, C_2 is Planck's second constant (1.4388×10^{-2} mK) and C_0 , is a constant between 2 and 6 dependent on the complex index of refraction $m = n - ik$,

$$C_0 = \frac{36\pi nk}{(n^2 - k^2 + 2)^2 + 4n^2 k^2}$$

Emissivity: Gas mixture

ε_g is the total emissivity of the gas mixture of CO_2 $\varepsilon_{\text{CO}_2}$ and water vapour $\varepsilon_{\text{H}_2\text{O}}$

$$\varepsilon_g = \varepsilon_{\text{H}_2\text{O}} + \frac{1}{2} \varepsilon_{\text{CO}_2}$$

The emittance of CO_2 and water vapour can be found from emissivity charts or by exponential wide-band model

Ref: Modest M. F. (1993). *Radiative heat transfer*, McGraw-Hill, New York, USA

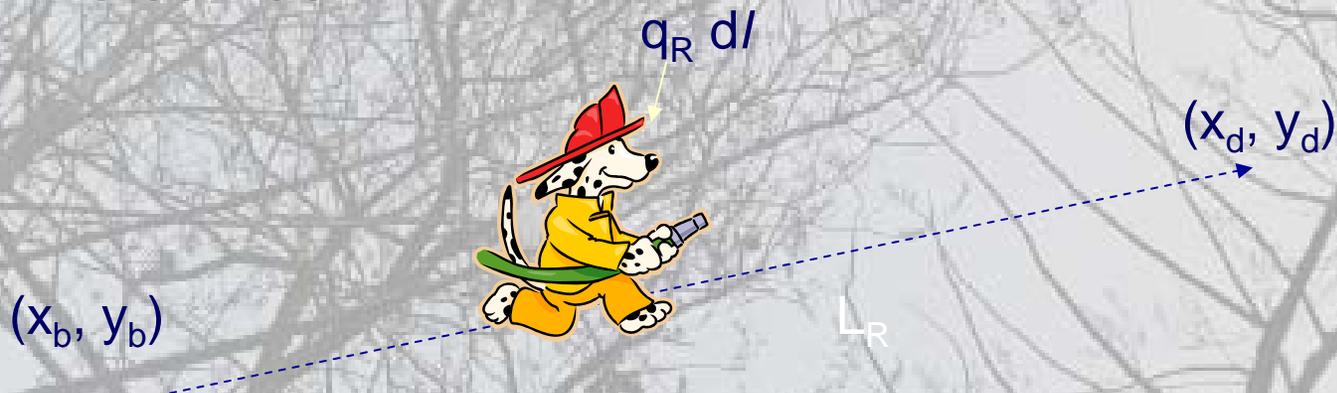
Average heat flux

(Wong, L. T., Yuen, W. W. 2004; Appl. Fire Science)

The average radiative flux a person is exposed to during the evaluation

$$q_{R;ave} = \frac{1}{L_R} \int_{(x_b, y_b)}^{(x_d, y_d)} q_R dl$$

L_R (m) is the distance between the entrance and exit of the corridor



Hot exposure time

Between 1.7 to 20 kWm⁻², the exposure time which will lead to skin pain

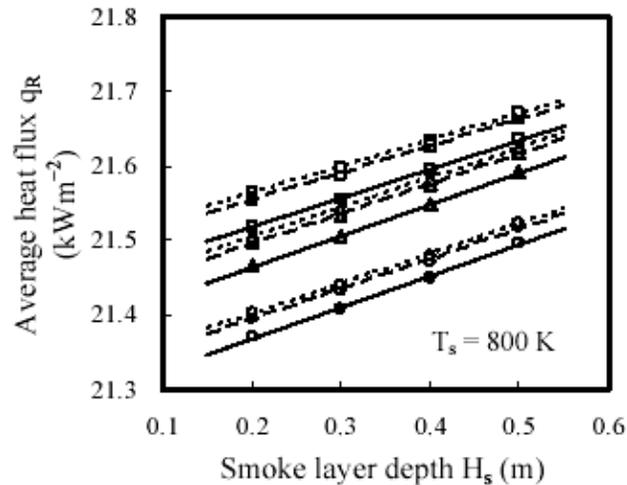
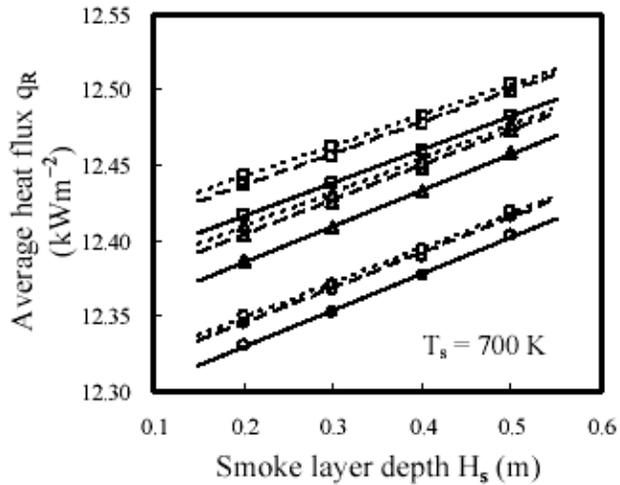
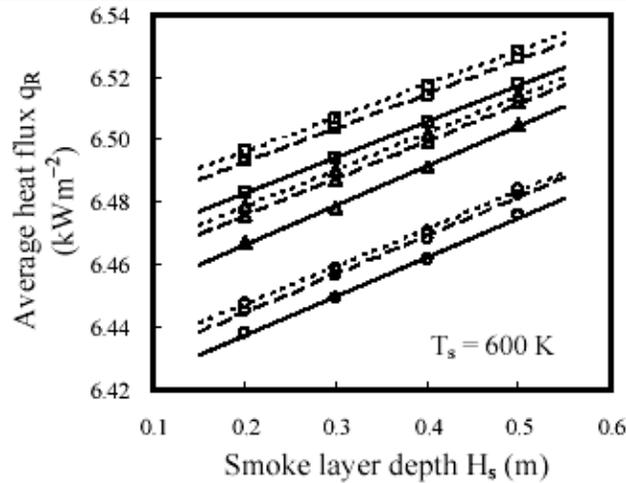
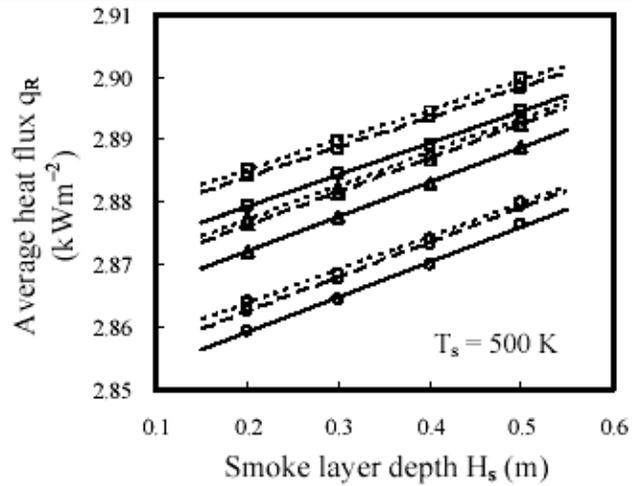
$$t_b = \frac{250}{S} q_R^{-1.9} \quad \text{safety factor (S) = 2}$$

Wieczorek C. J. and Dembsey N. A. (2001). Human variability correction factors for use with simplified engineering tools for predicting pain and second degree skin burns. *Journal of Fire Production Engineering* 2:2, 88-111.

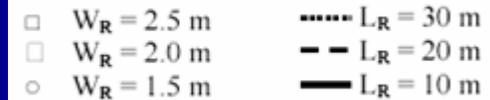
Minimum escape velocity (MEV) V_b (ms⁻¹) of the evacuee to avoid skin pain

$$V_b = \frac{L}{t_b} \quad \leftarrow \text{available safe egress time}$$

Average thermal radiant heat flux atop a head facing forward

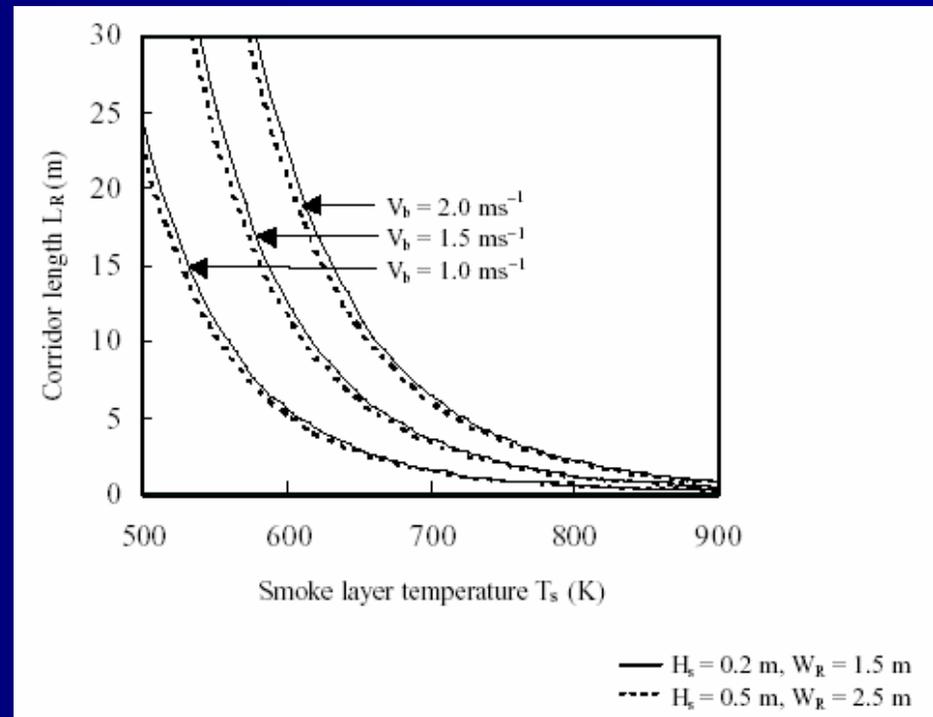
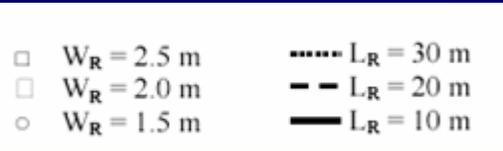
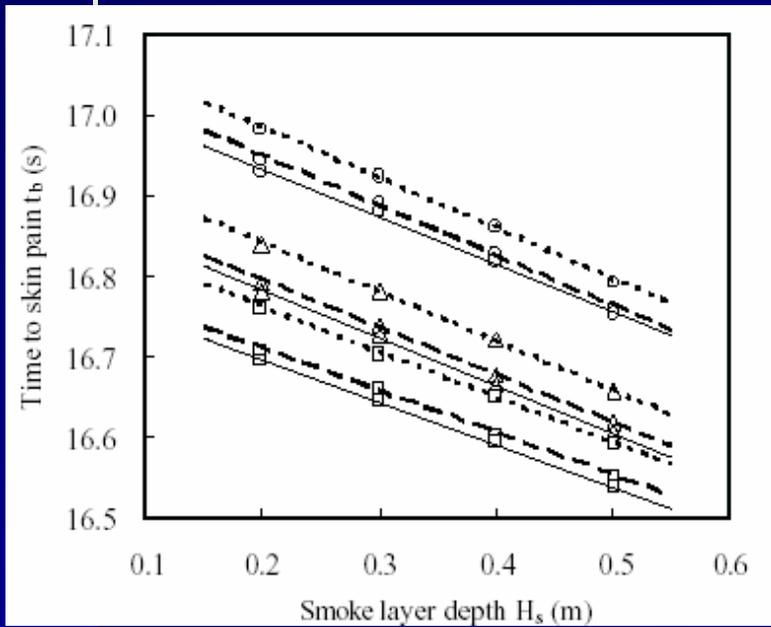


Wong 2005;
Journal of Fire
Science 23(2)



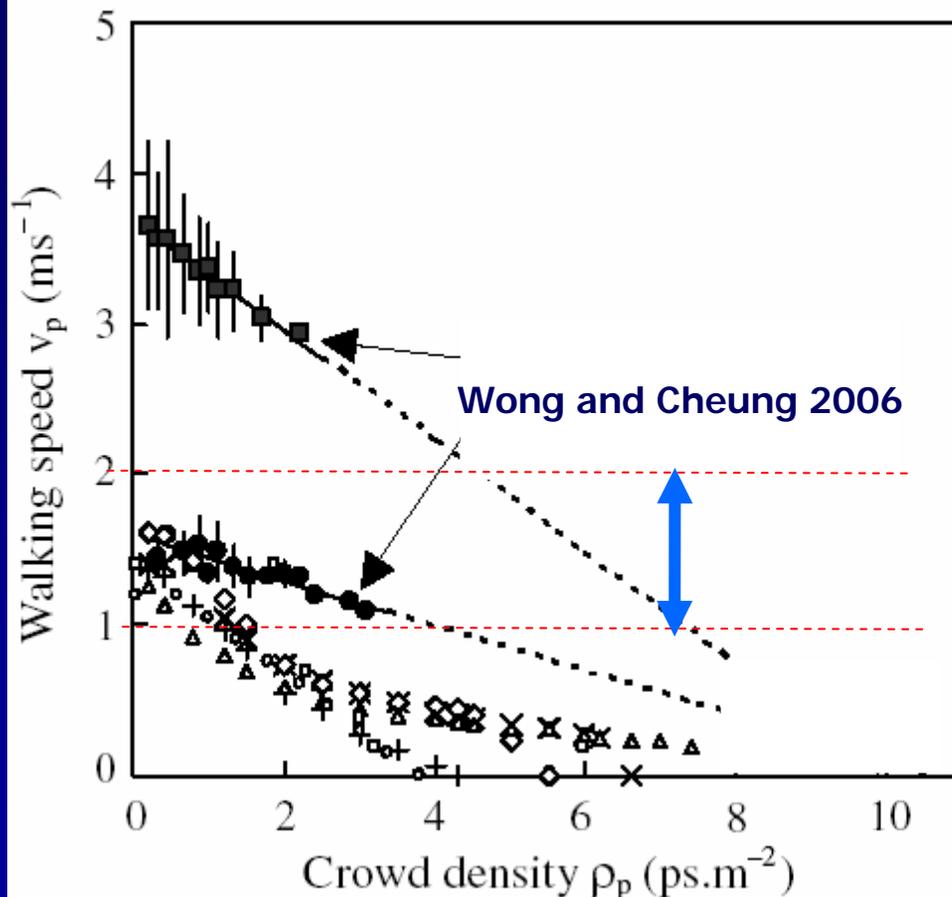
Example application

Wong 2005; Journal of Fire Science 23(2)



Example walking speeds

Wong and Cheung 2006; Safety Science



- College students (normal)
- College students (emergency)
- Hankin and Wright (1958)
- △ Predtechenskii et al. (1978)
- Nelson and Mowrer (2002)
- IMO (Lee et. al. 2003)
- × Ando et al. (1988)
- + Fruin (1971)

Conclusion

- A calculation method for skin layer temperature by assuming a heat balance on a homogeneous skin surface due to incident thermal heat flux and conductive heat transfer through the skin layer were reviewed; and the validity of the assumptions made in the calculations was examined.
- The calculations would reasonably estimate the skin layer temperature and would be suitable for certain building designs of fire safety.

Acknowledgement

Thank you very much

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